

Homework 11, due Monday, Nov.26

Correction to Exercise 8.18. The statement in the book is false. In fact show that any smooth function on  $\mathbf{R}^3$  which vanishes on the torus must have a critical point somewhere inside the bounded region. Show, by a drawing or formula, that nevertheless, there is a continuous unit vectorfield inside which extends the outward orienting unit normal field on the torus.

Second exercise. Show that  $\text{Jac}\pi = N^3$  where  $S$  is a compact surface with outward unit normal  $N = (N^1, N^2, N^3)$  and  $\pi : S \rightarrow \mathbf{R}^2$ ,  $\pi(x, y, z) = (x, y)$ .

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Page 305 Exercise (2)

Page 307 Exercise (7)