"SYMMETRIES OF ALGEBRAS, VOLUME 1" BY C. WALTON UPDATES AND CORRECTIONS

Last updated: April 5, 2025

Mathematical corrections.

§2.4.4, pages 97–99. A Morita equivalence between (k-)algebras is an equivalence between their *linear* categories of modules. In line -2 of page 97, replace "as categories" with "as linear categories". Add "as linear categories" at the beginning of line 3 in the statement of Theorem 2.18. In lines 2 and -3 of the proof of Theorem 2.18, and in the claim statement, replace "functors" with "linear functors". In lines 5 and 8 of the proof of Theorem 2.18, replace "of categories" with "of linear categories".

Various locations, starting on page 162. The notation $FdVec_G/FdVec_G^{\omega}$ should be used in place of Vec_G/Vec_G^{ω} when referring to a rigid category. Replace: one typo in Table 3.1 on page 162; one typo in line -3 on page 182; three typos in Remark 4.69 on page 254; two typos in Example 4.95 on page 265; all (fifteen) categories should have the prefix Fd in Example 4.98 on page 266; two typos in Exercise 4.57 on page 286; one typo in Exercise 4.61 on page 287; one typo in Exercise 4.62 on page 287; and both categories should have the prefix Fd in Exercise 4.63 on page 287. The notation $FdVec_G$ and $FdVec_G^{\omega}$ should be added to the Index of Notation.

Moreover, the notation $FdVec_N/FdVec'_G$ should be used in place of Vec_N/Vec'_G when referring to a potential rigid category. Replace two typos in Table 3.1 on page 162.

§4.5.1ii, page 236. Line 3: "can be remedied if *B* is a" \rightarrow "can be remedied if *A* is a".

§4.6.3, page 242. Change \mathbb{N} -GrAlg_{*A*}(\mathcal{C}) to \mathbb{N} -GrMod_{*A*}(\mathcal{C}) (twice), and change \mathbb{N} -GrAlg(\mathcal{C})_{*A*} to \mathbb{N} -GrMod(\mathcal{C})_{*A*}, and change \mathbb{N} -GrAlg_{*B*₁}(\mathcal{C})_{*B*₂} to \mathbb{N} -GrMod_{*B*₁}(\mathcal{C})_{*B*₂}. Update in Index of Notation.

§4.14, page 276. In Exercise 4.2(b), replace " $g \triangleright p_{g'} := p_{g'g}$ " with " $g \triangleright p_{g'} := p_{gg'}$ ".

Minor updates.

§1.0, page 15. Line -3: "are provided are" \rightarrow "are provided in".

§1.3.2, page 38. There should be (more descriptive) names for the morphisms and axioms attached to left *A*-modules. "Action map" should be "left action map", and the two following diagrams should be labelled as "left module associativity" and "left module unitality", respectively. Also, the map $\triangleleft := \triangleleft_V$ should be called a "right action map".

§1.3.2, page 39. Line 9: "(left) module map" \rightarrow "a (left) module map"

§1.3.3, page 40. Line 7: the "(A, A)-bimodule" \rightarrow "an (A, A)-bimodule". Line 16: "bimodule map" \rightarrow "a bimodule map".

§1.4.3i, page 46. Prop. 1.20, line 2: "a (A, B_2)-bimodule" \rightarrow "an (A, B_2)-bimodule".

§**1.11**, **page 65.** In Exercises 1.19 and 1.20, use *φ* instead of *f*.

§2.2.1v, page 79 / Indices. Add " $\vec{0}_{X,Y}$ " to the index of notation.

§2.2.2i, page 82. Lines 2-3: "includes Vec itself; see §1.1.4iv." \rightarrow "includes Vec itself (see §1.1.4iv), and A-Mod for a \Bbbk -algebra A."

§3.3.1, pages 148. Add to line 9 (skipping diagram), "Isomorphic C-module categories are defined likewise."

§4.1.3, page 209. Rename section as "Enriched endomorphism algebras".

§4.2.1, page 211. Line 2 in the proof of Proposition 4.13: "morphism $\alpha' : I \to A$ such that $\phi_{obj} \alpha' = _I \vec{0}_{A'} = _I \vec{0}_{A'}$ " \to "a morphism $\alpha' : I \to A$ such that $\phi_{obj} \alpha' = \vec{0}_{IA'}$ ".

§4.5.2, pages 236-238. Subsection titles: remove "in C" for consistency, and "monoidal" \rightarrow "tensor" in part iii.

§4.5.2iii, page 238. Line 5 of the proof of Lemma 4.44: Add full stop.

§4.9.3, page 258. Line 6: "an algebra A" \rightarrow "a nonzero algebra A".

§4.14, page 277. Rephrase Exercise 4.6 as "[...] collection of algebras [...] forms a category (denoted by Alg(C))."

§4.14, page 286 / Indices. From Exercise 4.58: Add "invariant subalgebra" to the index of terminology and "*A^G*" to the index of notation.